

Jockeying for position: High school student mobility and Texas' top-ten percent rule

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Overview

- Context: Controversy over affirmative action in college admissions
- Goal: Restore minority access to selective universities
- Unintended consequence: Incentive to attend high school with lower achieving peers

Texas' top-ten percent policy

- Automatic admission to any of the 35 public colleges to the top 10% of each high school graduating class
 - Includes flagships
 - Class rankings are determined by campus administrators
- Relevant to 1 in 6 high school students
 - Current backlash

High school choice framework

- Indirect utility for family i in neighborhood j at high school k is given by

$$V_{ijk} = v_i(e_i(\gamma_i, Q_k, p_{ik}), N_j, P_j, \tau_k, d_{jk}, M_{ij})$$

- A family will alter high school attendance plans only if

$$V_{ij'k'} > V_{ij^{\circ}k^{\circ}} \text{ for some feasible } j', k'$$

High school choice framework

- Only those neighborhoods and schools where the child would end up being in the top-ten percent become relatively more attractive
 - Before : $p_{ik} = a(\gamma_i, Q_k) \times c(\gamma_i, Q_k)$
 - After: $p_{ik} = \text{Max}[T_{ik}, a(\gamma_i, Q_k)] \times c(\gamma_i, Q_k)$

Theoretical prediction

- Any student who strategically chooses an alternative high school should be more likely to attend a school where he/she expects to be in the top-ten percent
 - Convergence in thresholds
 - Relevance of motive and opportunity

Empirical strategies

- Pre-post analyses of high school thresholds and the composition of top-ten percent students
- Differences-in-differences analyses of 8th to 10th grade transitions
 - Threshold at school attended
 - Choice among high schools within the same district as the middle school campus

Primary data source

- Individual-level Texas Assessment of Academic Skills (TAAS) test score data
 - In the Spring of each year, students are tested in reading and math in grades 3-8 and 10, and writing in grades 4, 8, and 10
 - Test score document submitted for *every* student
 - Unique student identifiers

Analysis years

Cohort	8 th -grade year	10 th -grade year
A	1992- 1993	1994-1995
B	1993- 1994	1995-1996
C	1994- 1995	1996-1997
D	1995- 1996	1997-1998
E	1996- 1997	1998-1999
F	1997- 1998	1999-2000

Predicting class rank

Dependent Variable = Percentile class rank

	TX sample	National sample
Reading percentile score	0.226 (0.047)	0.251 (0.013)
Math percentile score	0.493 (0.043)	0.466 (0.014)
Observations	787	10,918
R-squared	.384	.361

- Secondary data source: *NELS 1988 2nd follow-up*
- Method: OLS with high school fixed effects

Predicting class rank

- Composite 8th-grade percentile score

$$s_{it} = 0.226 \times \text{reading pctile}_{it} + 0.493 \times \text{math pctile}_{it}$$

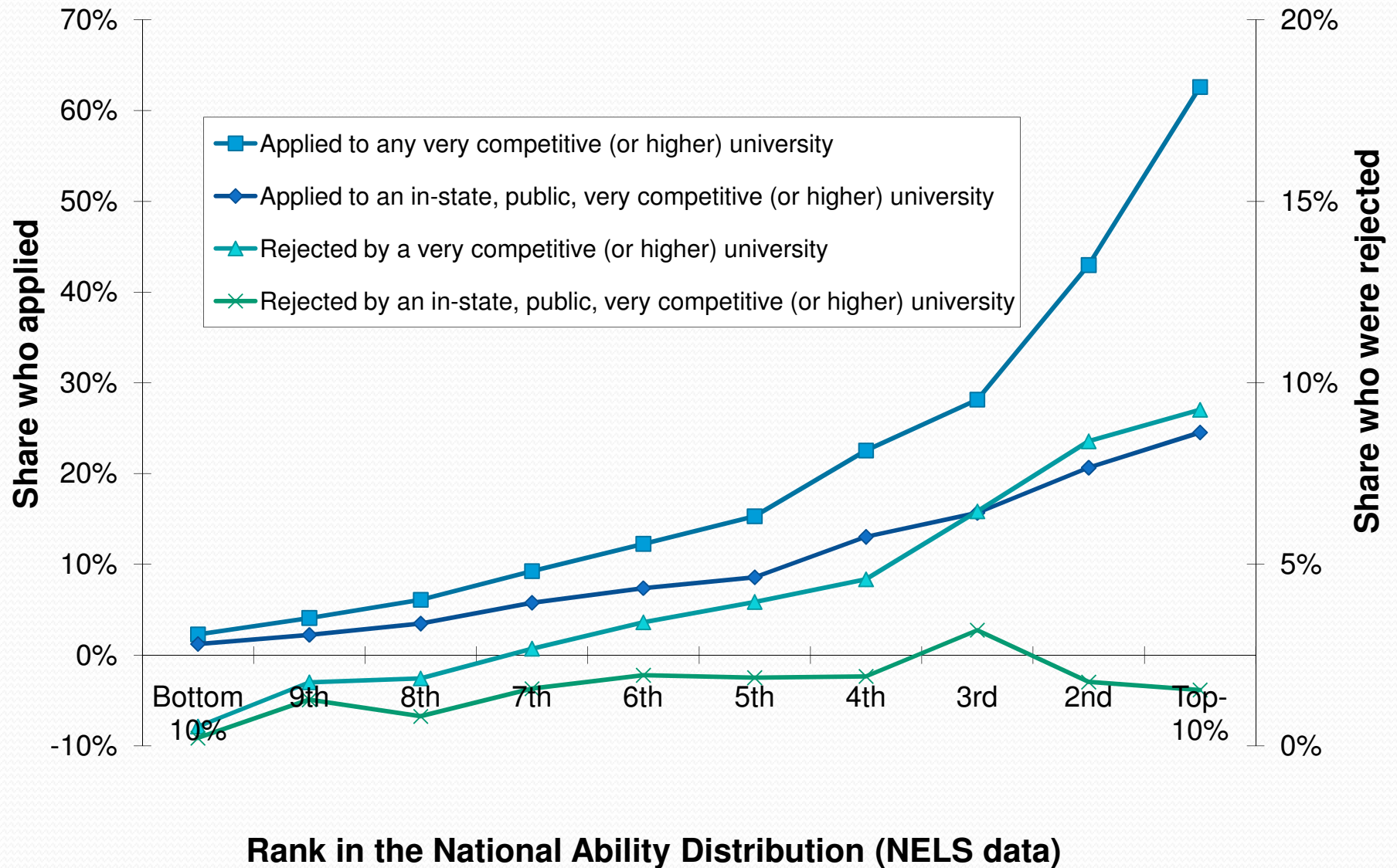
- Statewide percentile rank

$$r_{it} = F_t^8(s_{it})$$

- Percentile rank within school k

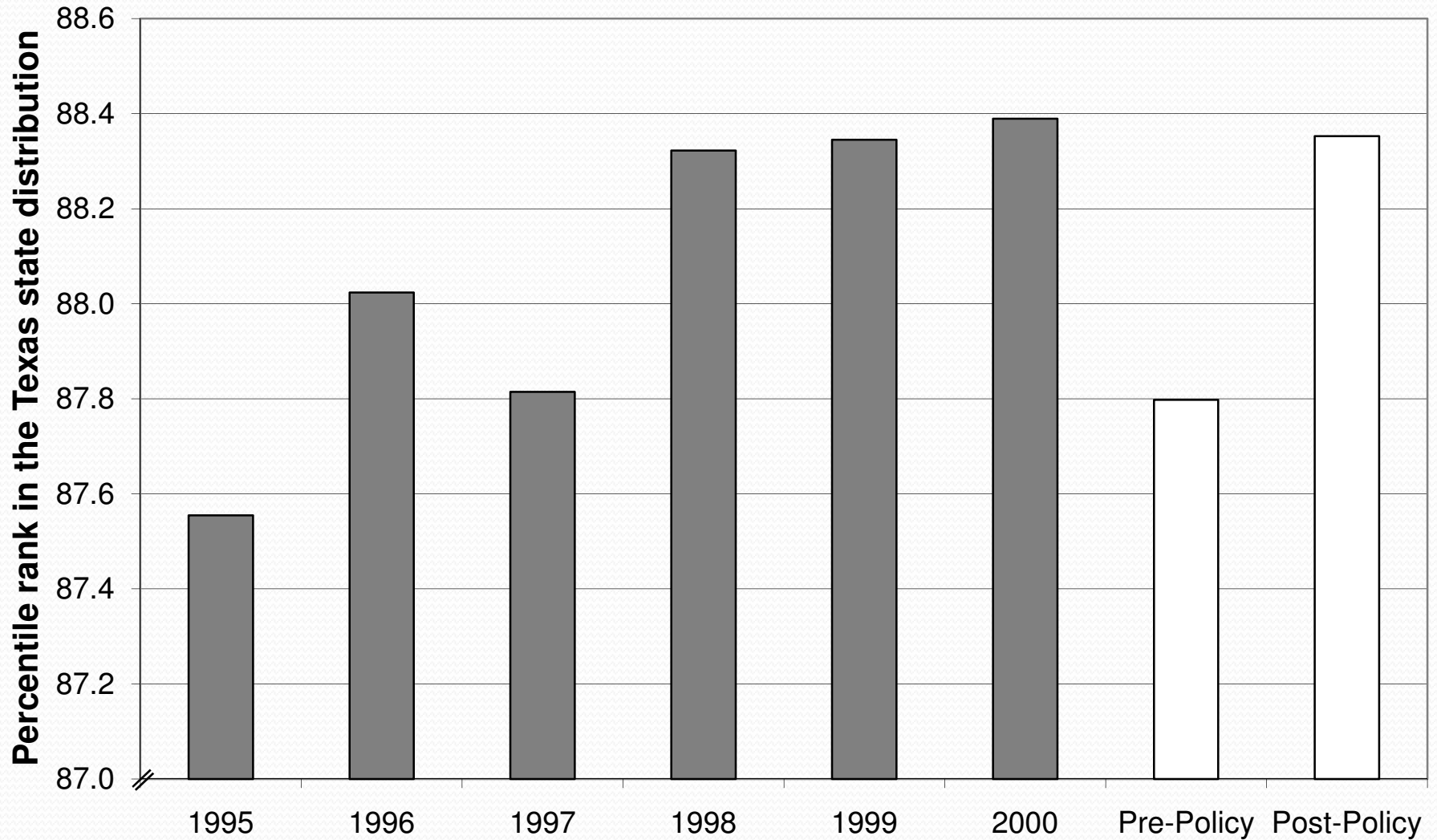
$$r_{ikt} = F_{k,t+2}^{10}(r_{it})$$

Students' motivations



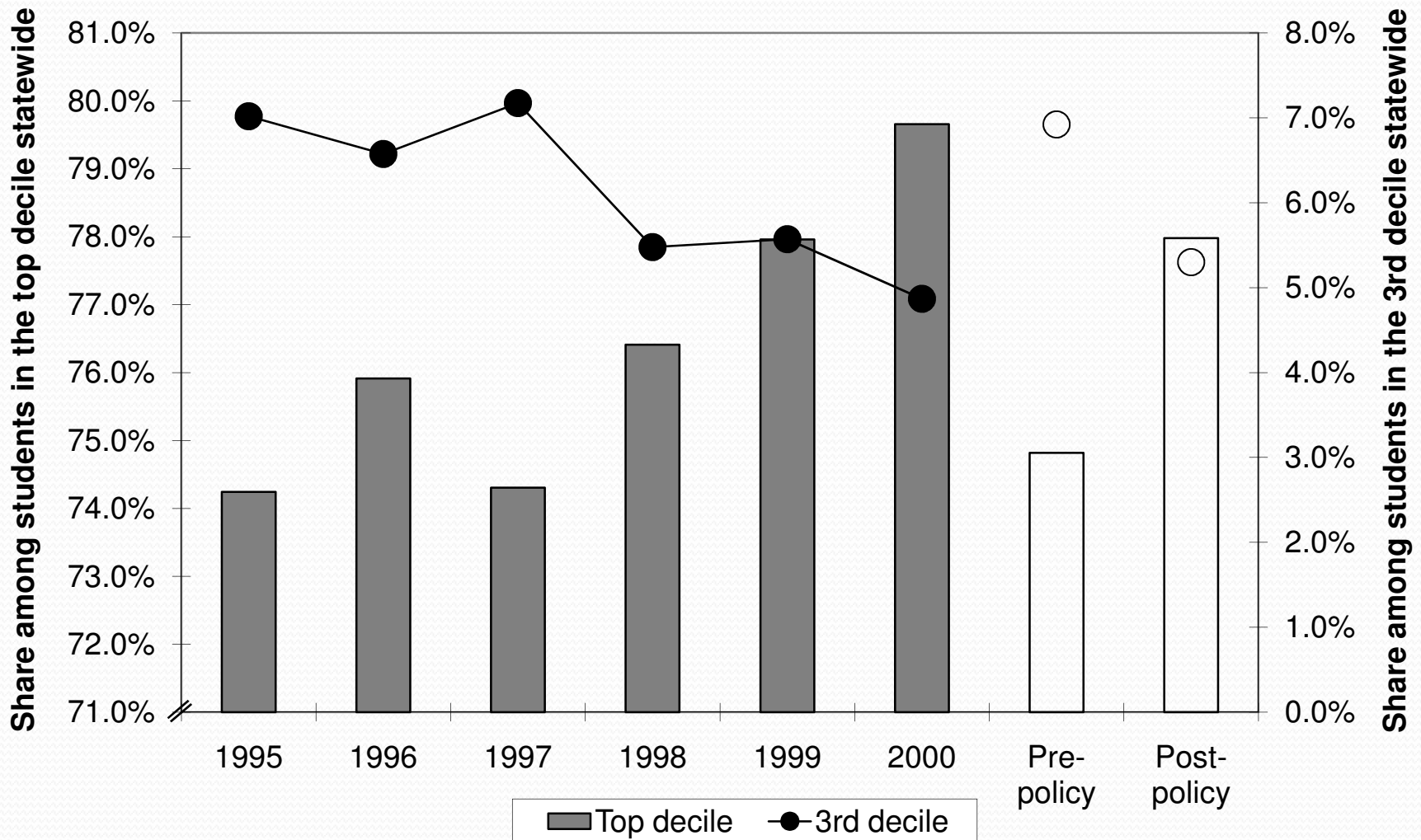
Exploratory distributional analysis

Average top-10 percent threshold, by year



Exploratory distributional analysis

Share in the top-10 percent at own high school



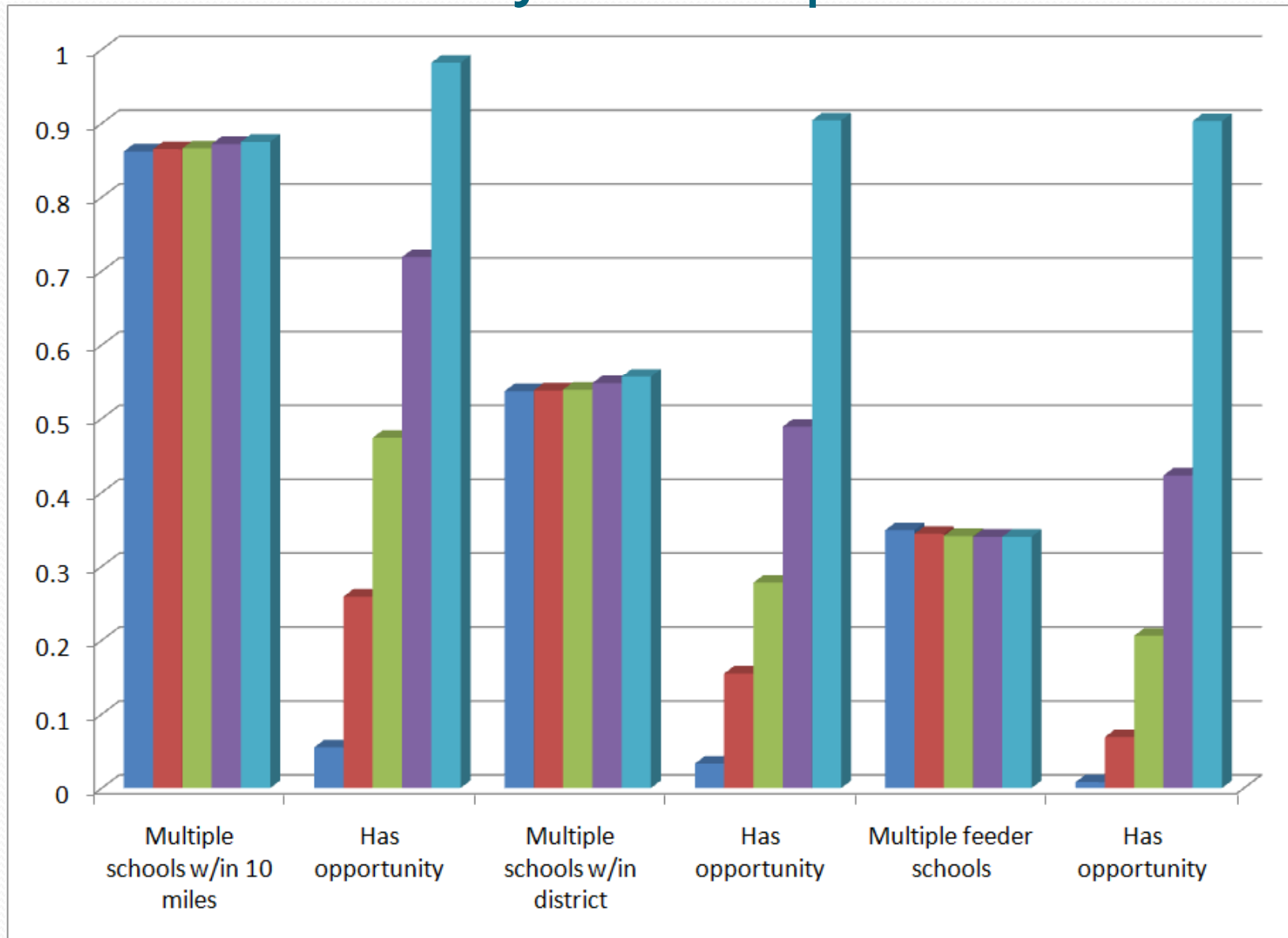
Analyses of 8th–10th grade transitions

- Threshold at high school attended, held constant at initial year value

$$\begin{aligned} thresh_{ijkt} &= \alpha_{ij} \\ &+ \sum_{a=1}^5 \beta_a \times I_{ai} + \sum_{a=1}^5 \gamma_a \times post_t \times I_{ai} \\ &+ \mathbf{X}_{it} \mathbf{\Gamma} + \varepsilon_{ijkt} \end{aligned}$$

- Addition of interactions with the presence of local top-10% opportunities

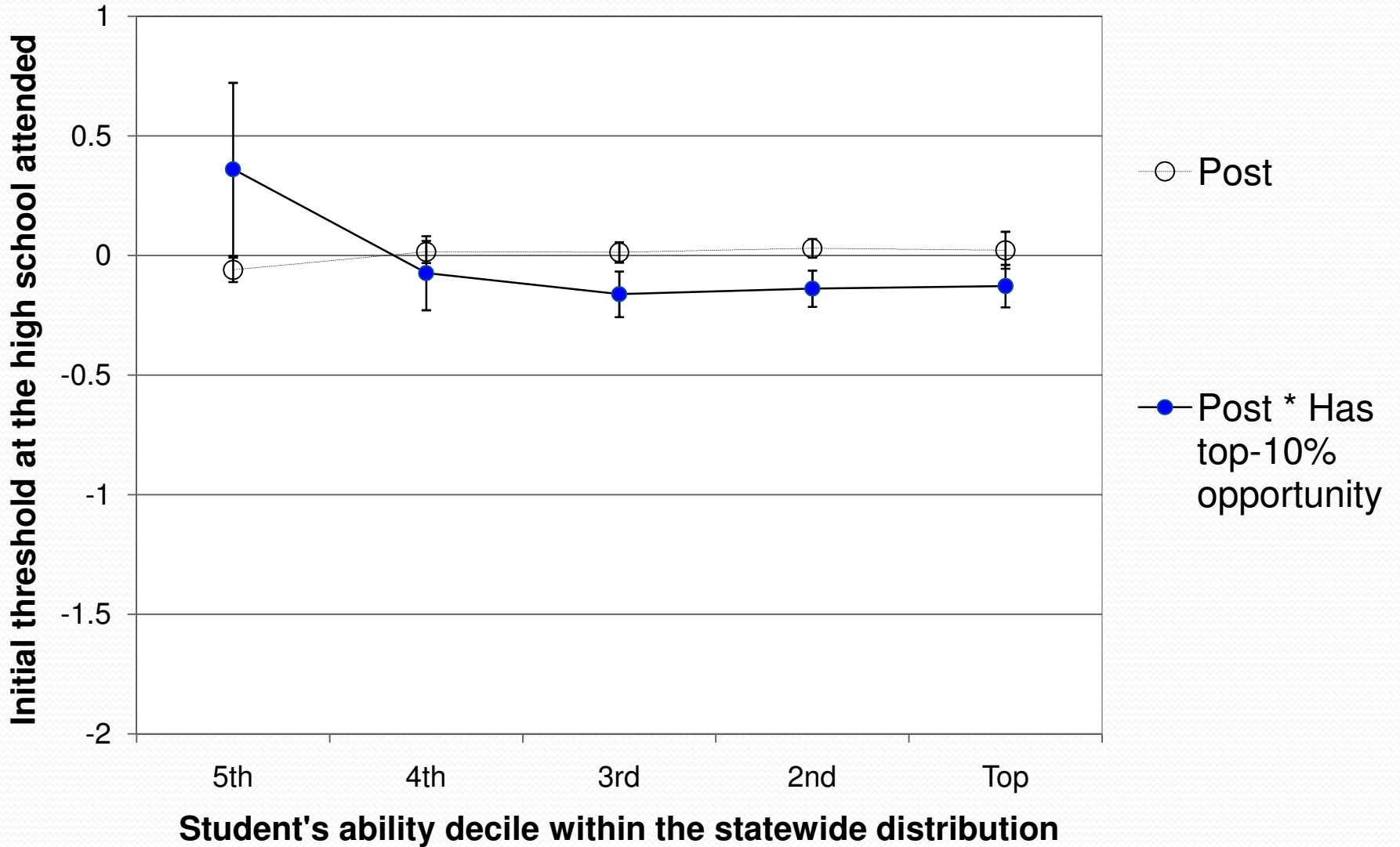
Analysis samples



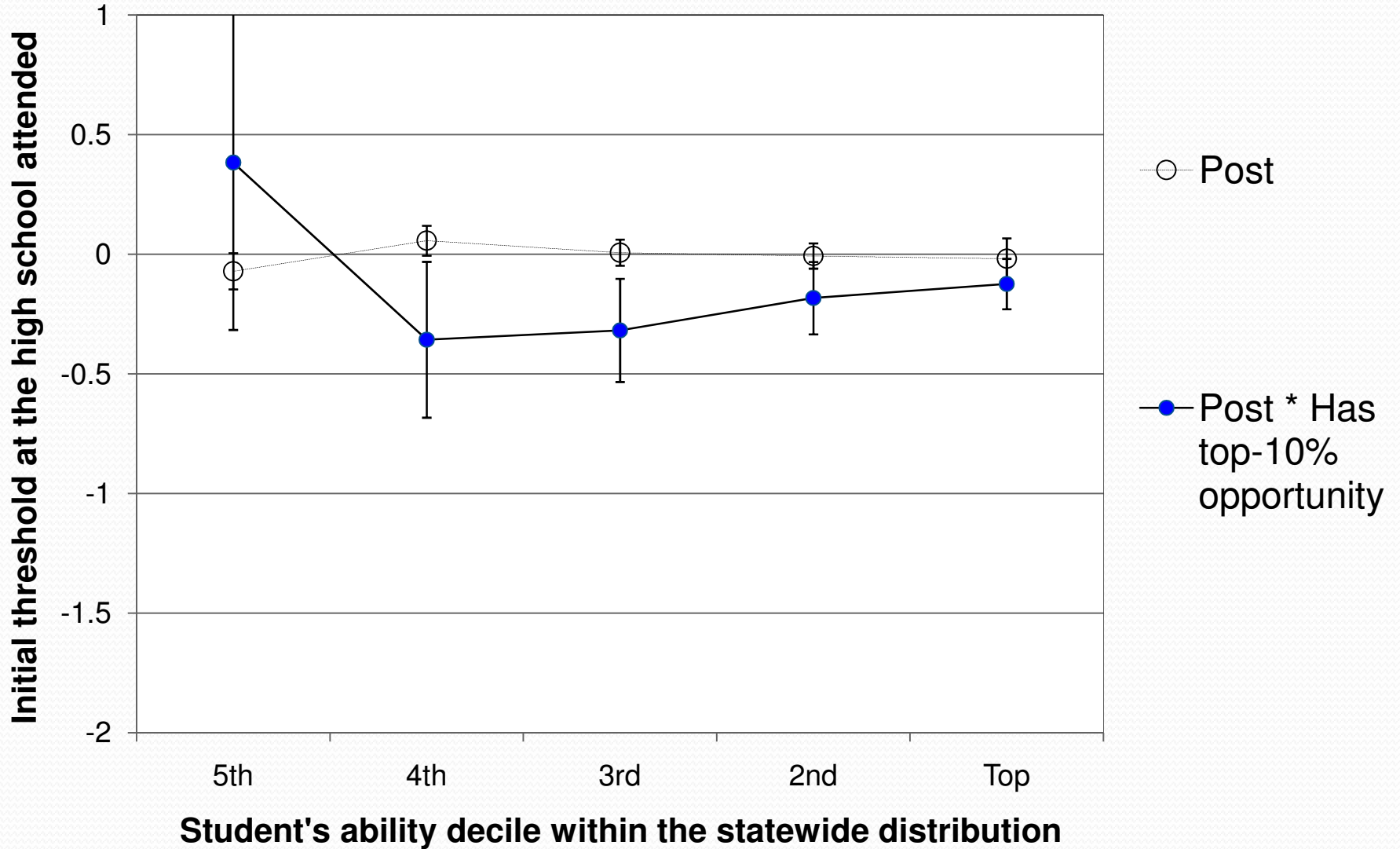
Impact on threshold at HS attended

	(1)	(2)	(3)	(4)	(5)
	<i>Actual</i> <i>Threshold_{ikt}</i>	<i>Baseline Threshold_{ikt}</i>			
Post * Top-Decile	-0.028 [0.067]	-0.101 [0.026***]	-0.103 [0.029***]	-0.130 [0.041***]	-0.169 [0.090*]
Post * 2nd Decile	0.126 [0.075*]	-0.062 [0.029**]	-0.064 [0.034*]	-0.095 [0.051*]	-0.132 [0.107]
Post * 3rd Decile	0.237 [0.083***]	-0.055 [0.026**]	-0.064 [0.030**]	-0.085 [0.044*]	-0.111 [0.084]
Post * 4th Decile	0.389 [0.092***]	-0.010 [0.028]	-0.009 [0.032]	-0.010 [0.049]	-0.077 [0.097]
Post * 5th Decile	0.497 [0.099***]	-0.037 [0.03]	-0.042 [0.034]	-0.052 [0.051]	-0.012 [0.089]
Observations	1,047,935	1,047,935	904,993	570,584	223,115
Sample Restriction	None	None	More than one HS w/in 10 miles	More than one HS in district	More than one feeder HS

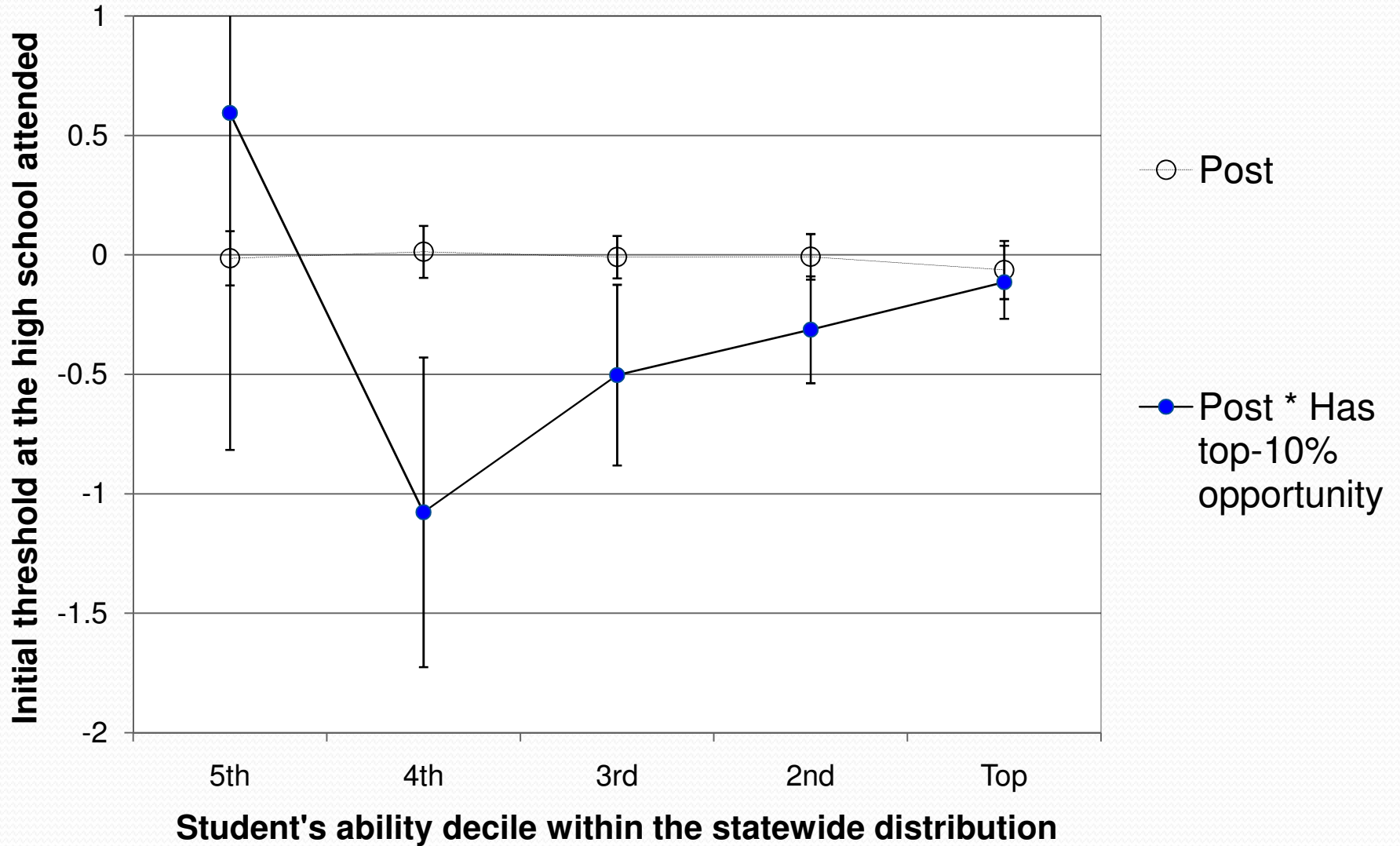
Multiple high schools within 10 miles



Multiple high schools within the district



Multiple feeder high schools



Current direction

- Decomposition of the threshold patterns using discrete choice analysis, treating each district as a separate market
 - Role of school quality, distance, feeder high school status, and student demographics
 - Simulation of changes in enrollment shares and composition of the top-10%